Why is My Classifier Discriminatory?

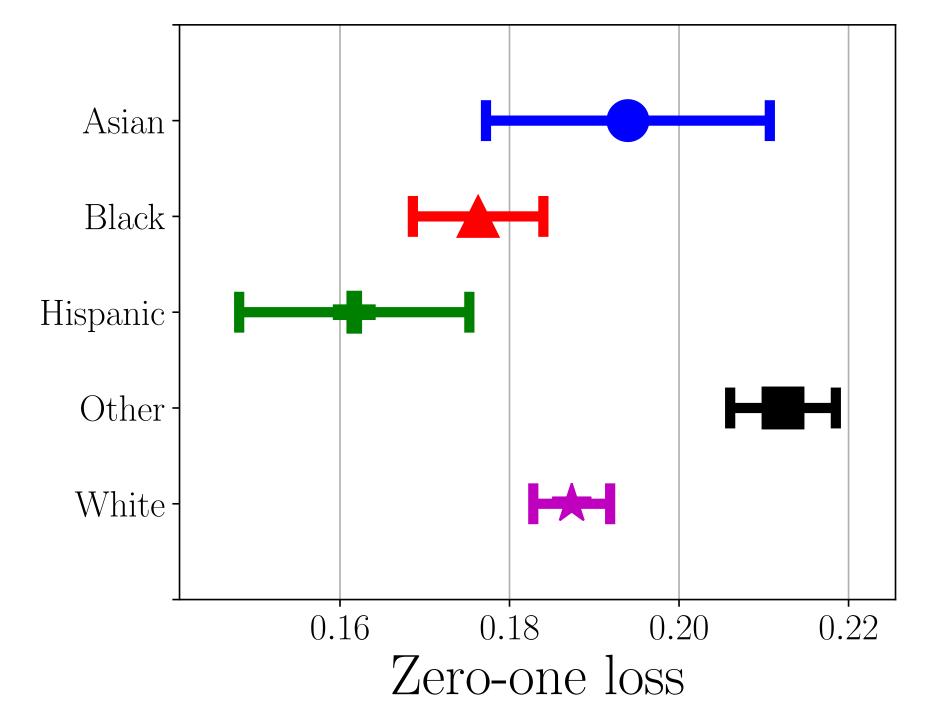


Irene Y. Chen, Fredrik D. Johansson, David Sontag Massachusetts Institute of Technology (MIT) NeurIPS 2018, Poster #120 Thurs 12/6 10:45am – 12:45pm @ 210 & 230 It is **surprisingly easy** to make a discriminatory algorithm.

Source: Shutterstock

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- 2. We decompose unfairness into **bias**, **variance**, **and noise**.
- We demonstrate methods to guide feature augmentation and training data collection to fix unfairness.

Model

- Loss function constraints
 - Kamairan et al, 2010; Zafar et al, 2017
- Representation learning
 - Zemel et al, 2013
- Regularization
 - Kamishima et al, 2007; Bechvod and Ligett, 2017
- Tradeoffs
 - Chouldechova, 2017; Kleinberg et al, 2016; Corbett-Davies et al, 2017

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Data

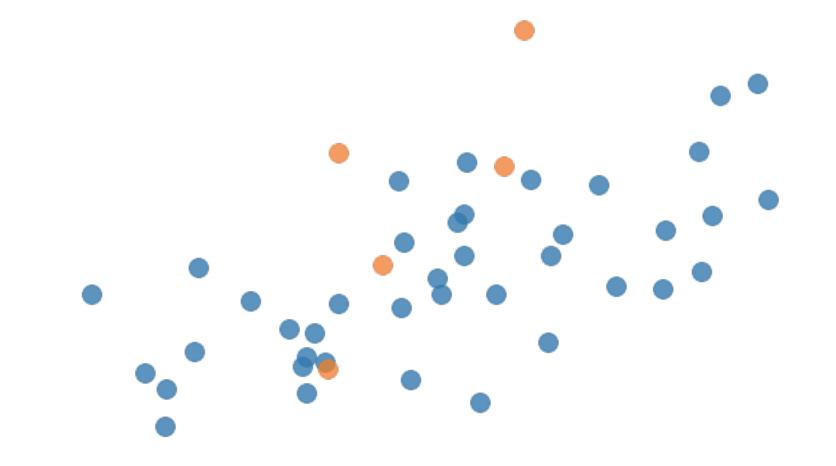
- Data processing
 - Haijan and Domingo-Ferrer, 2013; Feldman et al, 2015
- Cohort selection
- Sample size
- Number of features
- Group distribution

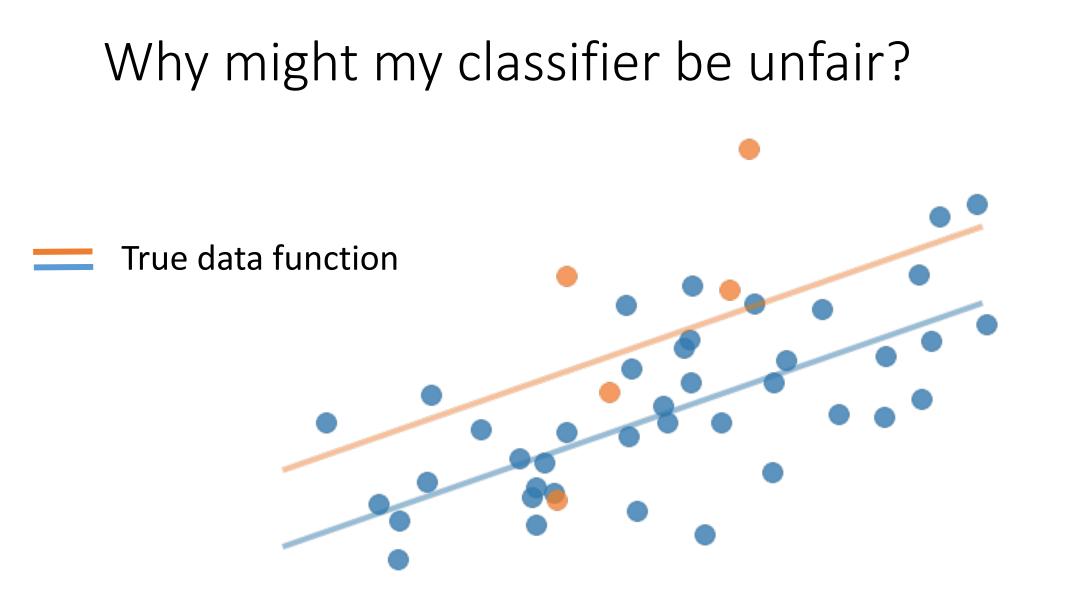
We should examine fairness algorithms in the context of the data and model.

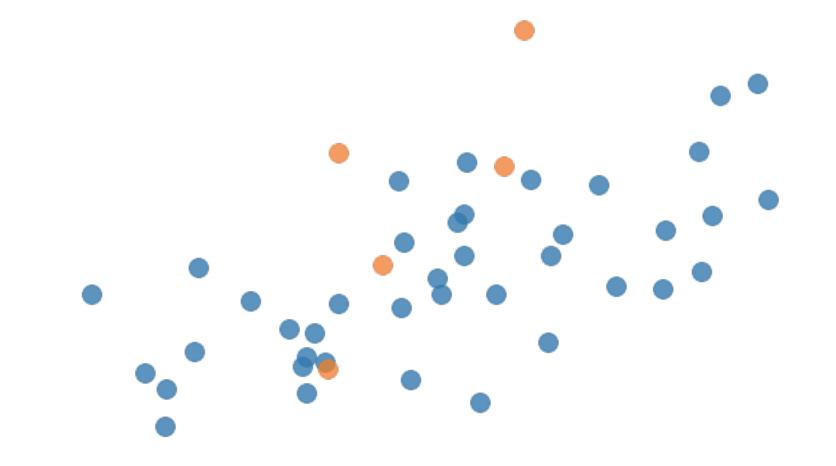
Tradeoffs

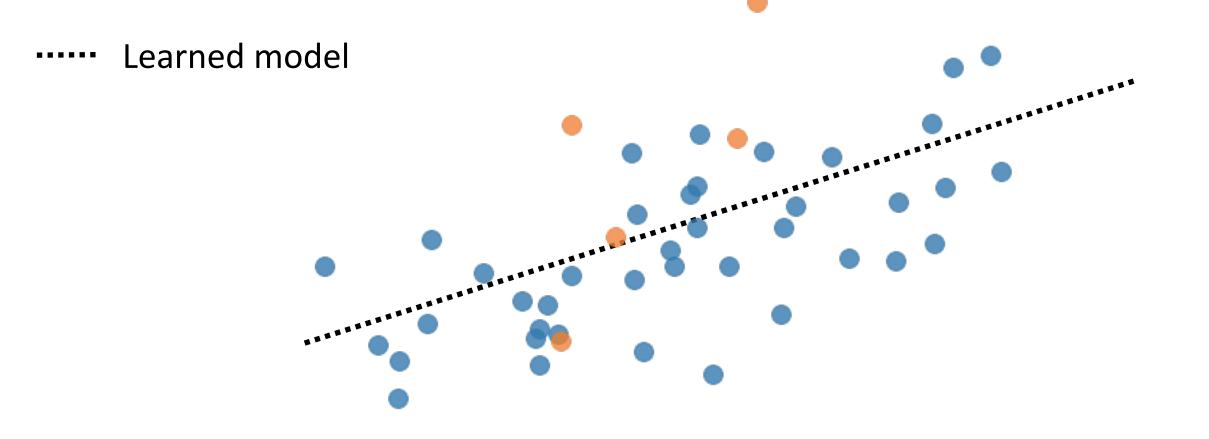
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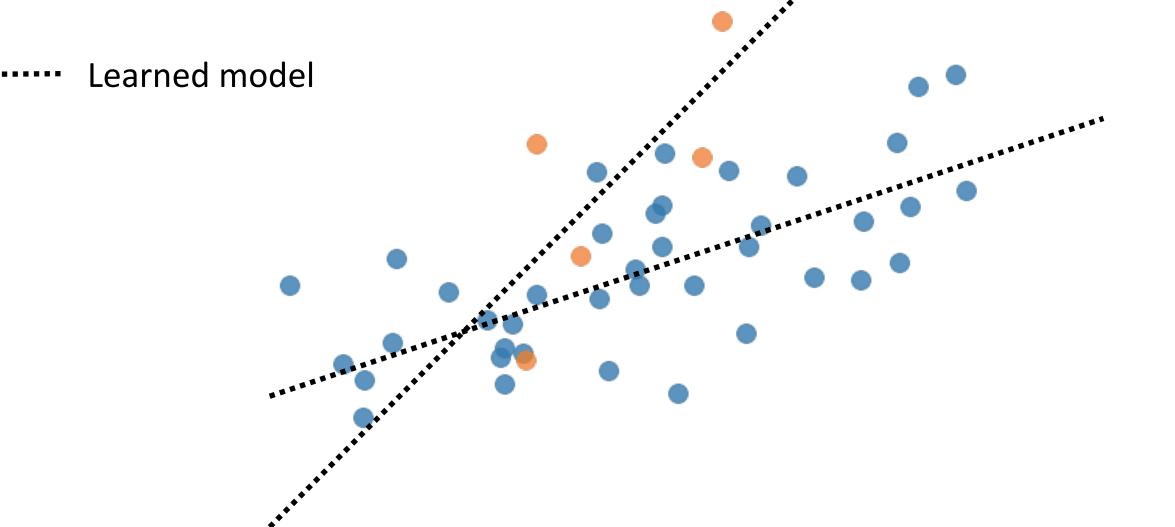
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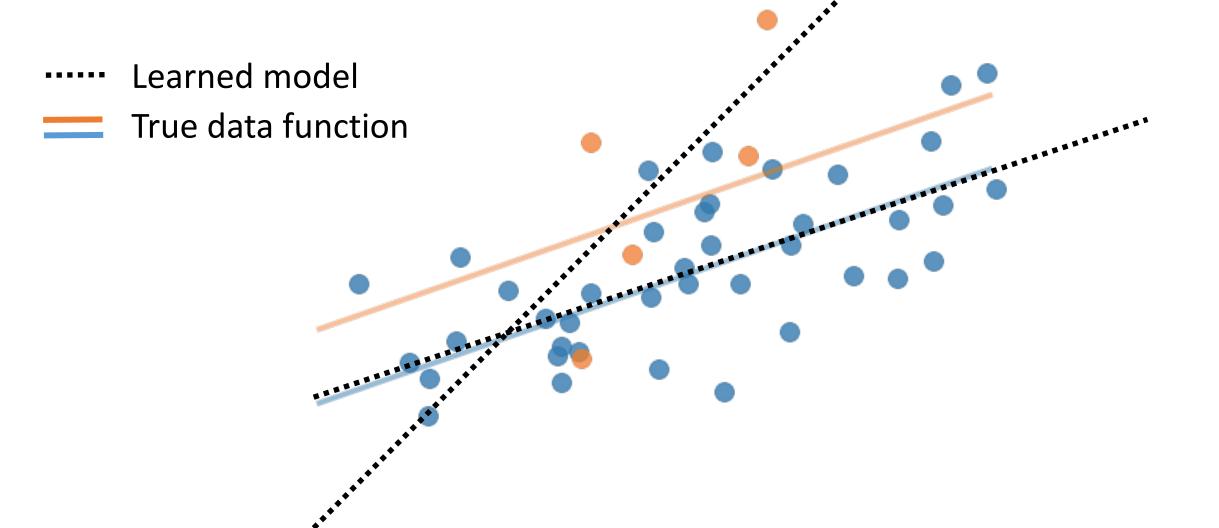




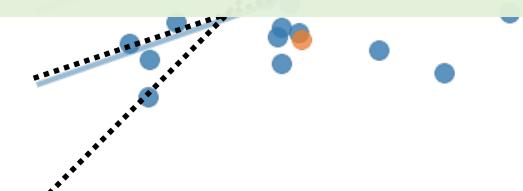


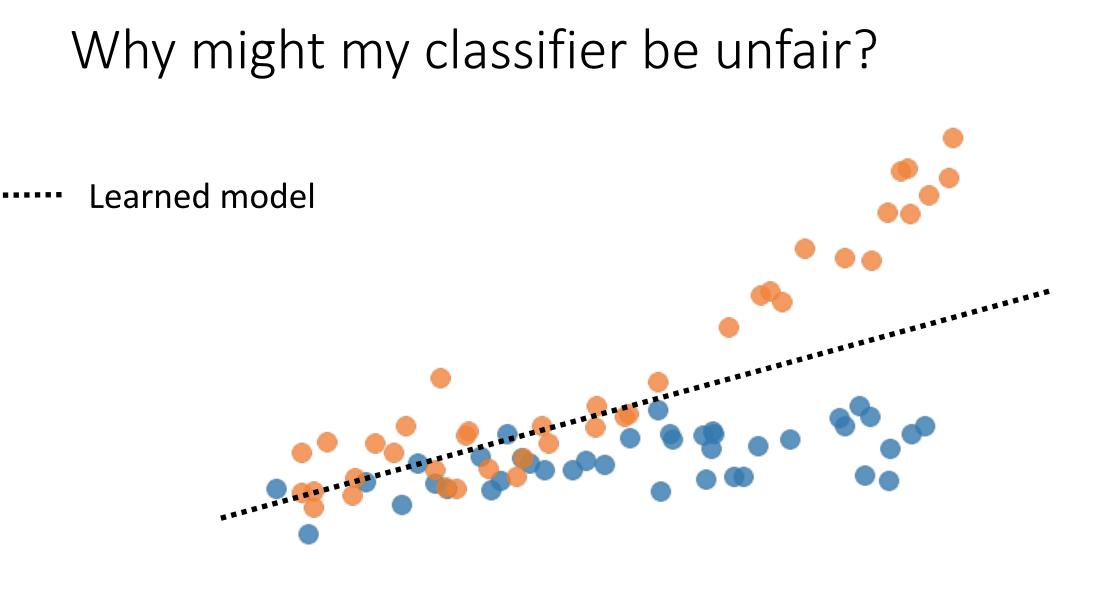


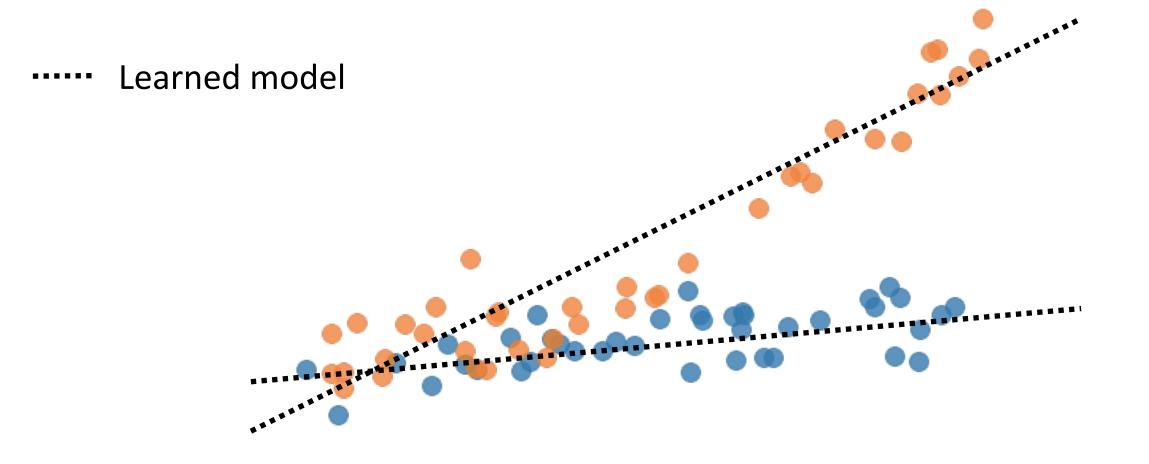


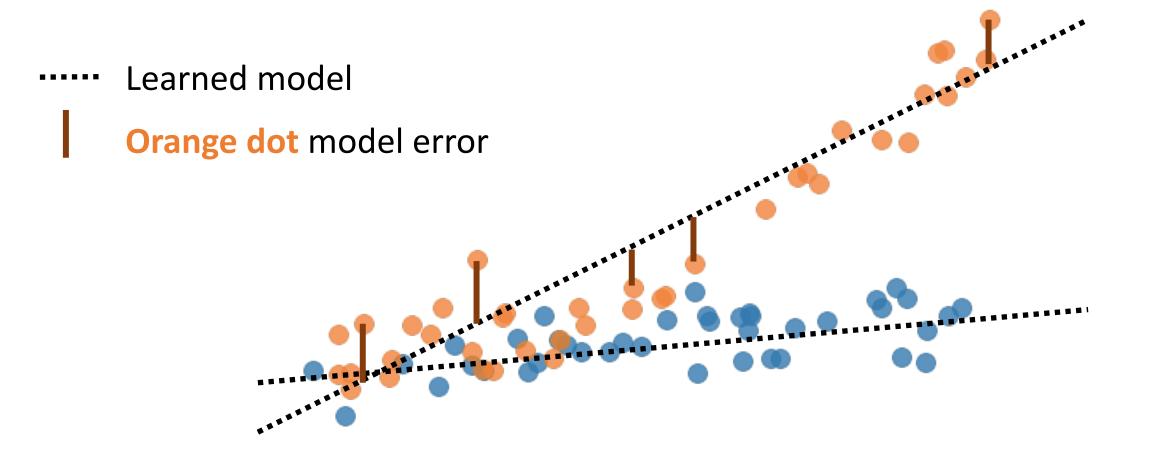


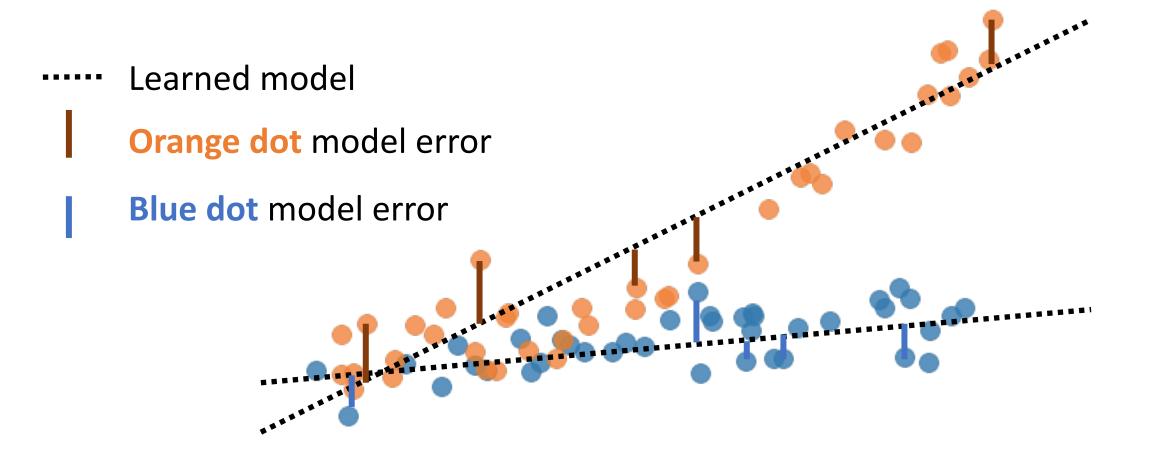
Error from variance can be solved by collecting more samples.

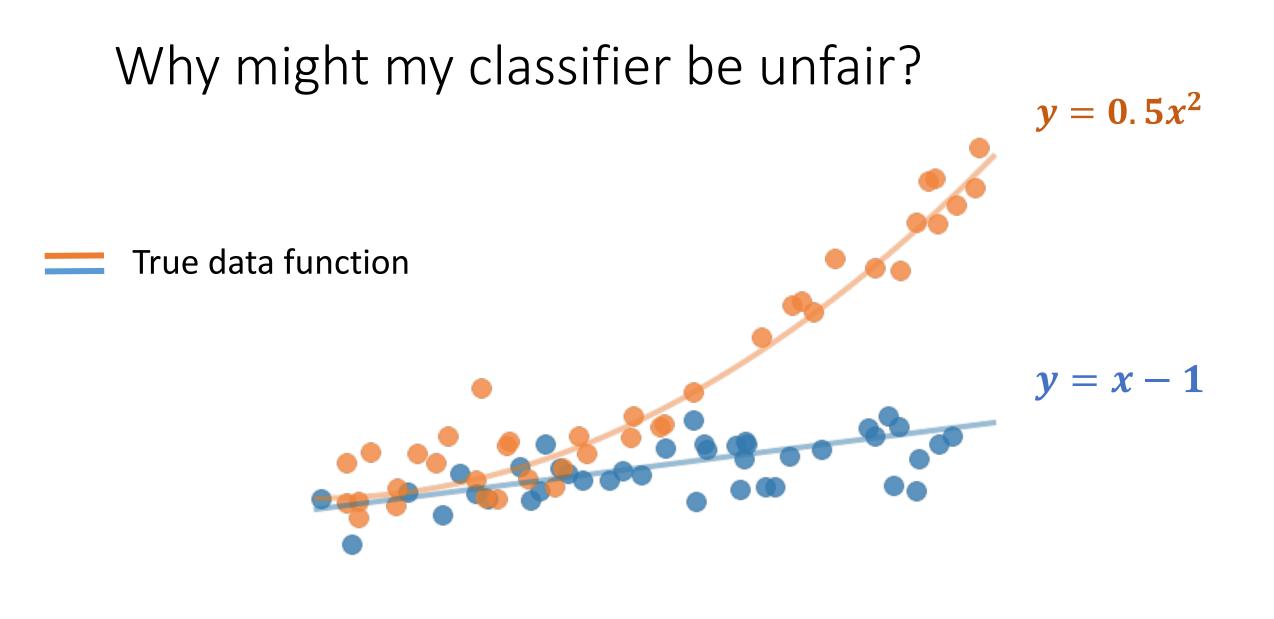






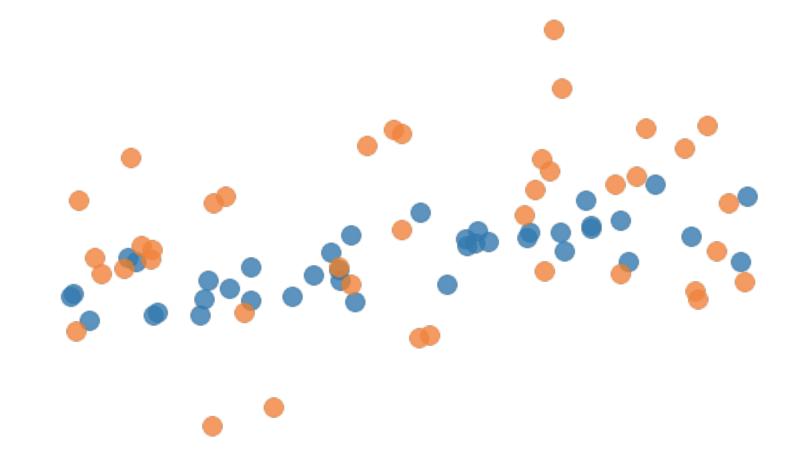


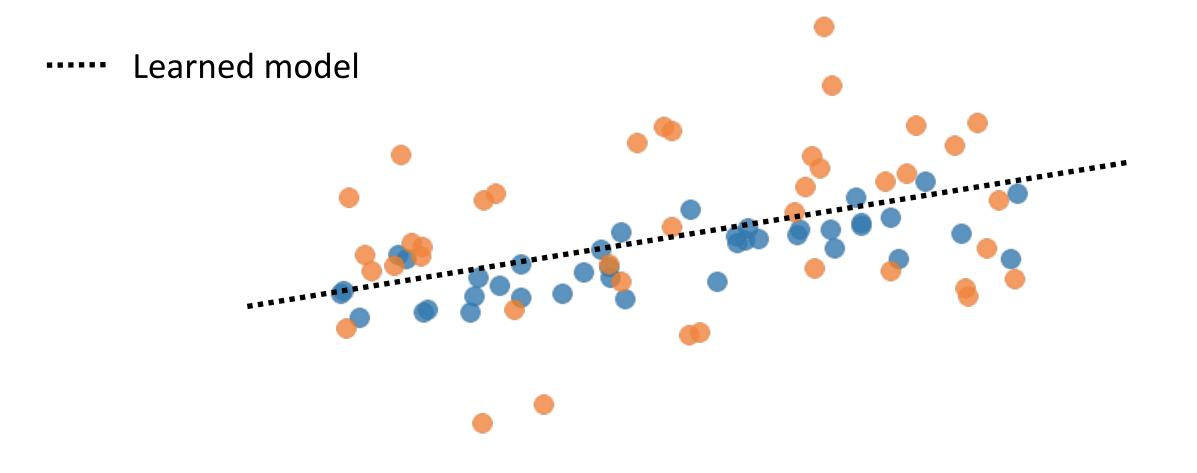


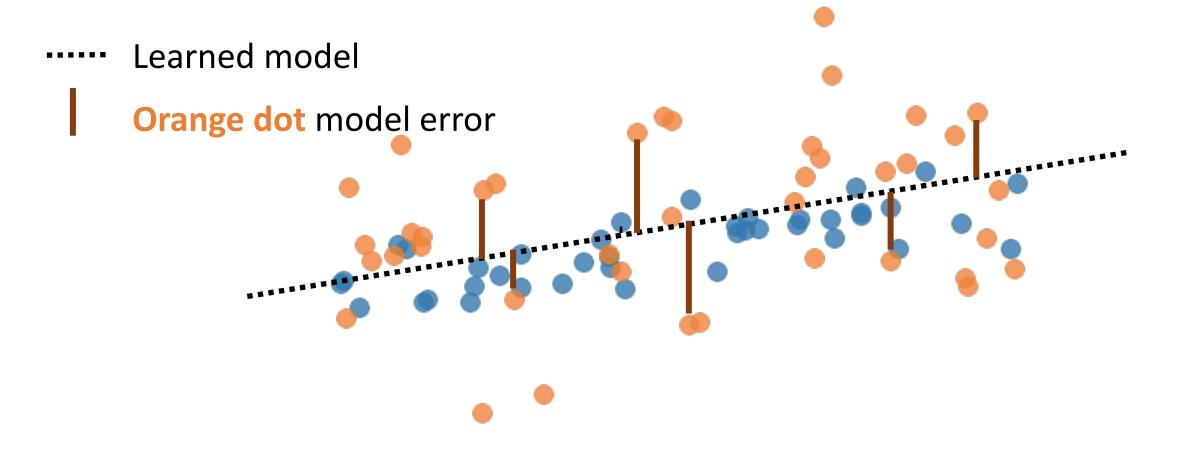


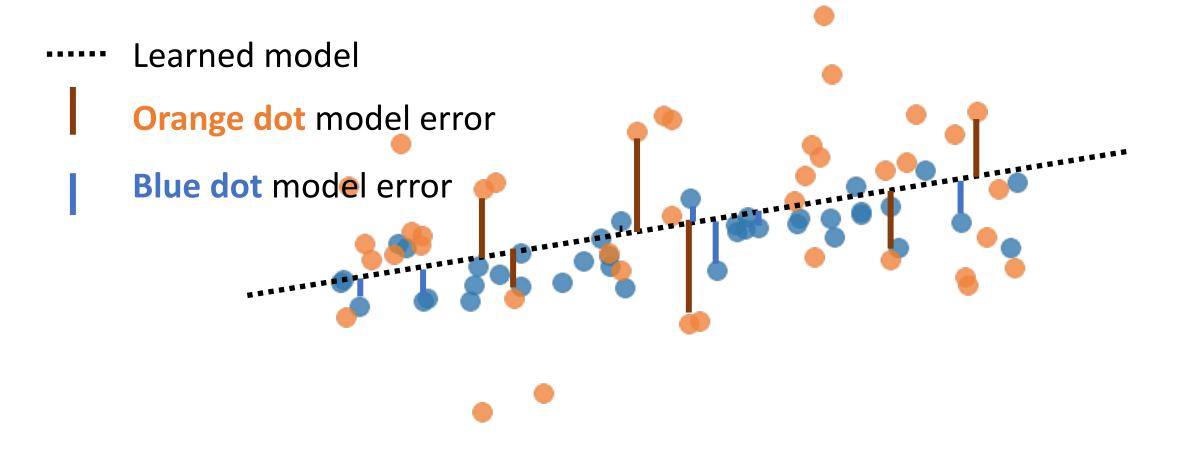
Error from **bias** can be solved by **changing the model class**.











Error from **noise** can be solved by **collecting more features**.

How do we define fairness?

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We define fairness in the **context of loss** like false positive rate, false negative rate, etc.

For example, zero-one loss for data D and prediction \hat{Y} :

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We can then formalize unfairness as group differences.

$$\overline{\Gamma}(\widehat{Y}) := |\gamma_1 - \gamma_0|$$

We rely on accurate Y labels and focus on algorithmic error.

Theorem 1: For error over group *a* given predictor \hat{Y} :

$$\bar{\gamma}_a(\hat{Y}) = \bar{B}_a(\hat{Y}) + \bar{V}_a(\hat{Y}) + \bar{N}_a$$

Note that \overline{N}_a indicates the expectation of N_a over X and data D.

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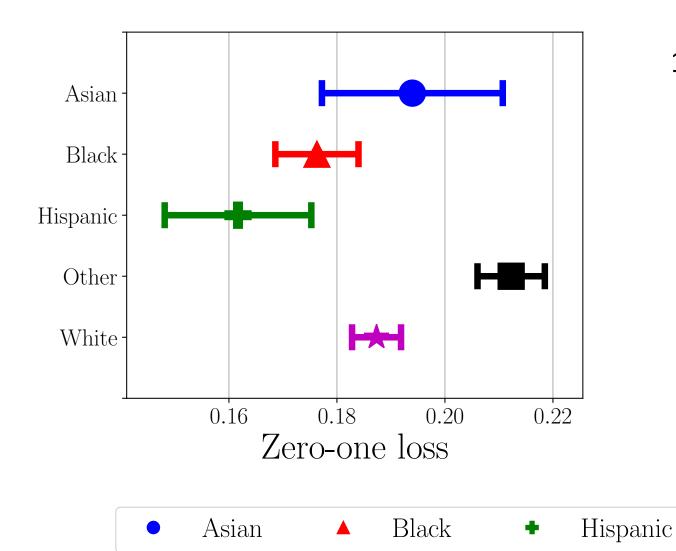
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Accordingly, the expected discrimination level $\overline{\Gamma} := |\overline{\gamma_1} - \overline{\gamma_0}|$ can be decomposed into differences in bias, differences in variance, and differences in noise.

$$\overline{\Gamma} = |(\overline{B}_1 - \overline{B}_0) + (\overline{V}_1 - \overline{V}_0) + (\overline{N}_1 - \overline{N}_0)|$$

Mortality prediction from MIMIC-III clinical notes



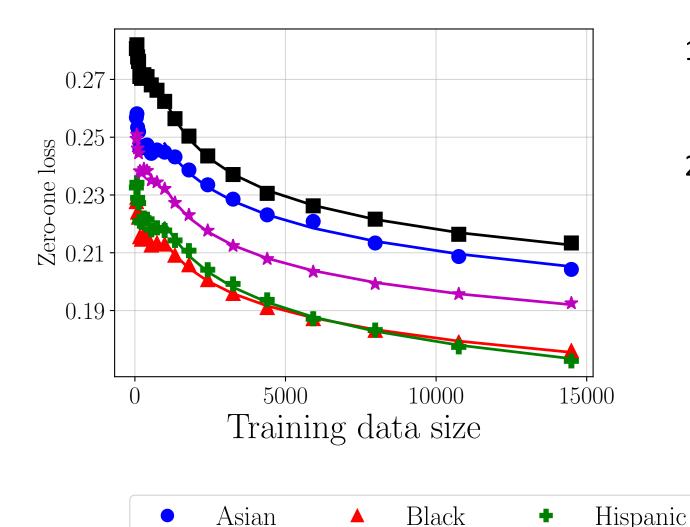
 We found statistically significant racial differences in zero-one loss.

Other

White

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Mortality prediction from MIMIC-III clinical notes



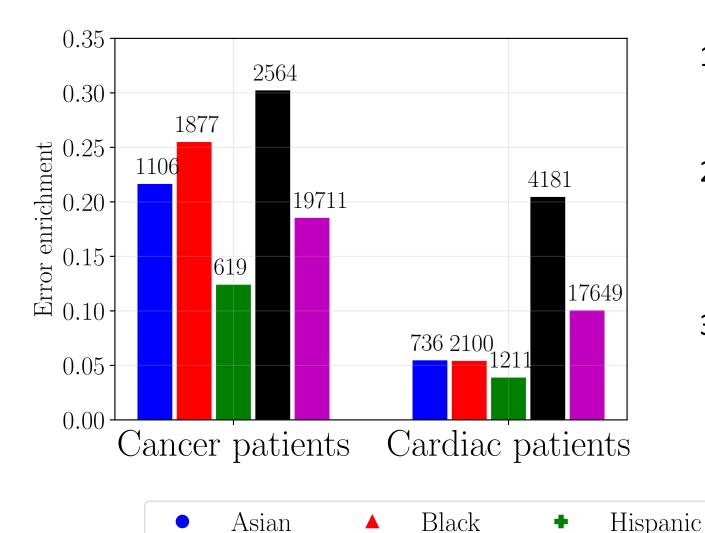
- We found statistically significant racial differences in zero-one loss.
- By subsampling data, we fit inverse power laws to estimate the benefit of more data and reducing variance.

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Mortality prediction from MIMIC-III clinical notes



- We found statistically significant racial differences in zero-one loss.
- By subsampling data, we fit inverse power laws to estimate the benefit of more data and reducing variance.
- Using topic modeling, we identified subpopulations to gather more features to reduce noise.

White

 \star

Other

Where do we go from here?

1. For accurate and fair models deployed in real world applications, both the data and model should be considered.

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Come to poster #120 in Room 210 & 230.