- **Docid design: regularized fusion approach**
	- **Key idea: (i) use** pseudo-queries generated from the document as docids with a query generation (QG) model; (ii) : jointly optimize the relevance and distinctness that fuses the latent space of a QG model, i.e., a docid generation model, and that of an autoencoder (AE) model



**Relevance regularization term**: (i) encourage the representation of a document and that of the corresponding docid (i.e., pseudoquery) to be close to each other in the shared latent space. (ii) increase the distance between the representation of a document and that of irrelevant docids associated with other documents

$$
\mathcal{L}_{Rel}(Q, D_Q; \theta_{QG}, \theta_{AE}) = -\frac{1}{|Q|} \sum_{q \in Q, d \in D_Q} \frac{\exp(sin(e_{QG}^d, e_{AE}^q))}{\exp(sin(e_{QG}^d, e_{AE}^q)) + \zeta},
$$

where  $\zeta = \sum_{d \in D_Q, \overline{q} \in Q, \overline{q} \neq q} \exp(\text{sim}(e_{QG}^d, e_{AE}^{\overline{q}}))$ 

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• **Distinctness regularization term:** To enhance the distinctness between documents and between docids, we push away the representations of different documents in the document space and, simultaneously, push away the representations of different docids in the docid space

$$
\mathcal{L}_{Div}(\cdot) = \sum_{d, \overline{d} \in D_Q, d \neq \overline{d}} \frac{sim(e^d_{QG}, e^{\overline{d}}_{QG})}{|Q|(|Q|-1)} + \sum_{q, \overline{q} \in Q, q \neq \overline{q}} \frac{sim(e^q_{AE}, e^{\overline{q}}_{AE})}{|Q|(|Q|-1)} - \sum_{q \in Q, d \in D_Q} \frac{sim(e^d_{QG}, e^q_{AE})}{|Q|}
$$



# **Generative Retrieval Meets Multi-Graded Relevance**



- **Generative retrieval** (GR) encodes all information in a corpus into the model parameters, and produces a ranked list based on a single parametric model
- Current work on GR mainly focuses on binary relevance scenarios, where a binary division into relevant and irrelevant categories is assumed [20, 52, 83]
- The standard Seq2Seq objective, via maximizing likelihood estimation (MLE) of the output sequence with teacher forcing, has been used extensively in GR due to its simplicity
- In real-world search scenarios, documents may have different degrees of relevance [18, 71, 72, 82]
- A straightforward approach to extending GR to multiple grades, involves having the GR model generate the likelihood of docids with higher relevance grades being greater than that of lower grades
- However, the variation in docid lengths may lead to smaller likelihood scores for longer docids

Generative Retrieval  $(GR<sup>2</sup>)$ .  $GR<sup>2</sup>$  focuses on two key components: ensuring relevant and distinct identifiers, and implementing multigraded constrained contrastive training. First, we create identifiers that are both semantically relevant and sufficiently distinct to represent individual documents effectively. Second, we incorporate information about the relationship between relevance grades to guide the training process. Extensive experiments on datasets with both multi-graded and binary relevance demonstrate the effectiveness of GR<sup>2</sup>.

# **References**

- Generative retrieval (GR) represents a novel approach to information retrieval. It uses an encoder-decoder architecture to directly produce relevant document identifiers (docids) for queries. While this method offers benefits, current approaches are limited to scenarios with binary relevance data, overlooking the potential for documents to have multigraded relevance. Extending GR to accommodate multi-graded relevance poses challenges, including the need to reconcile likelihood probabilities for docid pairs and the possibility of multiple relevant documents sharing the same identifier.
- To address these challenges, we introduce a framework called GRaded

 $\mathcal{L}_{total}(Q, D, I_D; \theta) = \gamma \mathcal{L}_{MGCC}(Q, I_{D_Q}; \theta) + \mathcal{L}_{MLE}^{q}(Q, I_{D_Q}; \theta) + \mathcal{L}_{MLE}^{d}(D, I_D; \theta),$ • **Supervised learning** (GR2S )

**SP** 

 $\bullet$   $\bullet$ 

 $\theta_{\alpha_0}$ 

- Pre-training and fine-tuning (GR<sup>2P</sup>): (i) To construct pre-training data, we use the English Wikipedia [87] to build a set of pseudo-pairs of queries and docids. (ii)We use the unique titles of Wikipedia articles as the docids for pre-training and assume that a random sentence in the abstract can be viewed as a representative query of the article
	- grade 4: the Wikipedia article from which the query is sampled, is regarded as the most relevant document
	- grade 3: We use the See Also section of a Wikipedia article in which hyperlinks link to other articles with similar or comparable information, which is mainly written manually. If there exists no See Also section, we use a similar section, i.e., the Reference section
	- grade 2 and grade 1: Besides the See Also section, some hyperlinks link to pages that describe the concept of some entities in detail. We randomly sample several anchor texts from the first section and other sections, respectively, and regard the linked target pages as grade 2 and grade 1 relevant documents, respectively

#### **Abstract**

# **Approach - Docid**

- We adopt hard weights for each relevance grade; what is the effect of a soft assignment setting in the MGCC loss?
- The generated docids remain fixed after initialization; how to perform joint optimization of the docid generation and the retrieval task?

Figure 2: Ablation analysis. (Left) Supervised learning; (Right) Pre-training and fine-tuning.

• **Grade constraint:** A class higher in the hierarchy cannot have a lower confidence score than a class lower in the ancestry sequence:  $\mathcal{L}_{Max}(l, q, id^l) = \max_{(q, id^l : \theta)} \mathcal{L}_{Pair}(q, id^l; \theta)$ 

- Besides, essential topics in multi-graded relevant documents may be similar, emphasizing the need for a one-to-one correspondence between document content and its identifier to ensure distinctness
- Consequently, harnessing a GR model's capabilities for multi-graded relevance ranking in a relatively succinct manner remains an non-trivial challenge
- **Contribution:** A novel GRaded Generative Retrieval (GR<sup>2</sup>) framework
	- Docid: Enhance docid distinctness while ensure its relevance to document semantics
	- Relevance: A multi-graded constrained contrastive loss to capture different relevance grades
	- Application: Two learning scenarios, i.e., supervised learning and pre-training

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# **Introduction**

#### **Approach - Optimization**

#### **Experimental settings & results**

Table 1: Experimental results on datasets with multi-graded relevance. Results denoted with  $\star$ are from [34, 55]. And  $*, \dagger$ ,  $\ddagger$  and  $\ddagger$  indicate statistically significant improvements over the best performing SR baseline QLM, the DR baseline PseudoQ, the GR baseline RIPOR, and all the



Table 2: Experimental results on datasets with binary relevance. And  $*, \dagger, \dagger$  and  $\dagger$  indicate statistically significant improvements over the best performing SR baseline DocT5query or SPLADE, the DR baseline PseudoQ, the GR baseline RIPOR and all the baselines, respectively ( $p \le 0.05$ ).



- **Conclusion**:
	- We have proposed a MGCC loss for multigraded GR that captures the relationships between multi-graded documents in a ranking, and a regularized fusion method to generate distinct and relevant docids. They



**C** Query  $\bigodot$  GR<sup>2P</sup> **★** Query  $\triangleleft$  Query  $\times$   $\times$  2-grade relevant doc  $\times$  2-grade relevant doc  $\times$  2-grade relevant doc 1-grade relevant doc  $\langle$  1-grade relevant doc  $\mathbf{X}$  1-grade relevant doc  $G_{RR}^{2P}$ Irrelevant doc Irrelevant doc • Irrelevant doc  $GR_{-\lambda}^{2P}$  $\mathbf{e}^{\mathbf{e}}$  ,  $\mathbf{e}^{\mathbf{e}}$  $\begin{array}{ccccc}\n\bullet & \bullet & \bullet & \bullet & \bullet\n\end{array}$  $\bullet \times \times \times \times$  $\triangle$  GR<sup>2P</sup><sub>Max</sub>  $\bullet$  GR<sub>MLE</sub>  $\times$  $\mathbf{a} \cdot \mathbf{e}_{\mathbf{a}} \cdot \mathbf{a}$  $\bigcirc$  GR<sub>CE</sub>  $\bullet\bullet\bullet$  $\bullet$  $\bullet$  $GR_{ID}^{2P}$ 

 $GRP$ 

Figure 4: t-SNE plots of query and document representations for  $GR^{2P}$  (left), RIPOR (mid) and NCI (right).

work together to ensure more accurate GR retrieval. Empirical results on binary and multi-graded relevance datasets have demonstrated the effectiveness of the proposed method.

#### • **Future directions**:

#### **Conclusion & Future work**

# **Approach – MGCC loss**

- **Multi-graded constrained contrastive loss**: force positive pairs closer together in the representation space, but the magnitude of the force is dependent on the relevance grade
- **Grade penalty:** To distinguish between multiple positive pairs, our key idea is to apply higher penalties to positive pairs constructed from higher grades, forcing them closer than negative pairs constructed from lower grades

$$
\mathcal{L}_{Pair}(q, id^{l};\theta) = \log \frac{\exp (sim(\mathbf{f}_q, \mathbf{f}_{id}^{l}) / \tau)}{\sum_{a \in A_q} \mathbb{1}_{[\mathbf{f}_q \neq \mathbf{f}_a]} \exp (sim(\mathbf{f}_q, \mathbf{f}_a) / \tau)} \quad \sum_{q \in Q} \frac{1}{L} \sum_{l=1}^L \frac{-\lambda_l}{|I_{D_{q}^l}|} \sum_{id^{l} \in I_{D_{q}^l}} \mathcal{L}_{Pair}(q, id^{l};\theta)
$$

• **MGCC loss:** 
$$
\mathcal{L}_{MGCC}(\cdot) = \sum_{q \in Q} \frac{1}{L} \sum_{l=1}^{L} \frac{-\lambda_l}{|I_{D_q^l}|} \sum_{id^l \in I_{D_q^l}} \max(\mathcal{L}_{Pair}(q, id^l; \theta), \mathcal{L}_{Max}(l+1, q, id^{l+1}; \theta))
$$



