

InfoRM: Mitigating Reward Hacking in RLHF via Information-Theoretic Reward Modeling

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ü **Background and Motivation**

Methodology

Experiments

Additional Strength

Pipeline of LLM Alighment

Figure 1: The illustration of DeepSpeed Chat's RLHF training pipeline with optional features.

Reward Hacking

Despite the success of reinforcement learning from human feedback (RLHF) in aligning language models with human values, reward hacking, also termed reward over-optimization, remains a critical challenge. This issue can be manifested in various ways, from copying styles without generating meaningful content to exhibiting excessive caution in responses

Figure 2: An example of overoptimization.

Motivation

One primary cause of reward over-optimization in the reward modeling process is reward misgeneralization, where RMs may incorrectly generalize training data, resulting in poor proxies for actual human preference. This occurs because the same human feedback can be interpreted in multiple ways by RMs, even with ample data.

Consequently, RMs often rely on spurious features, such as length bias, which correlate with ranking labels but are irrelevant to human preferences. Over-exploiting such information leads to RM overfitting, undermining generalizability and causing instability during the RL stage.

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Main Idea

In this work, we propose a new reward modeling framework from an information-theoretic perspective, namely, InfoRM. The advantages of our framework are two-fold:

Firstly, leveraging MI modeling, InfoRM removes irrelevant information from the IB latent representation, ensuring generalizable human preference modeling. This directly addresses reward misgeneralization by retaining only the features that genuinely reflect human preferences.

Secondly, InfoRM excels in detecting over-optimization. We discovered a correlation between reward over-optimization and the emergence of outliers in InfoRM's IB latent space, a phenomenon absent in RM without IB. Based on this, we designed the Cluster Separation Index (CSI) to detect over-optimization by quantifying deviations in RLHF model-generated sample distributions.

Methodology

Overview

Figure 1: Comparison between standard RM and our information-theoretic reward model (InfoRM). InfoRM distinguishes itself by enhancing RM generalizability through mutual information modeling. Additionally, a distinct feature of InfoRM is its overoptimization detection mechanism, which can guide parameter selection and algorithm design in subsequent RLHF. Specifically, the RM encoder is derived from the standard RM, with modification to the final layer.

Formulation

The objective of our information-theoretic reward modeling framework *J(θ)* can be formulated as follows:

$$
\max_{\boldsymbol{\theta}} J(\boldsymbol{\theta}) = \max_{\boldsymbol{\theta}} I_{\text{preference}} - \beta I_{\text{bottleneck}} = \max_{\boldsymbol{\theta}} I(S, Y) - \beta I(X, S|Y),
$$

The variational lower bound is:

$$
J(\boldsymbol{\phi}, \boldsymbol{\psi}) \geq J_{\text{VLB}}(\boldsymbol{\phi}, \boldsymbol{\psi}) = \mathbb{E}_{(\boldsymbol{x}, y) \sim \mathcal{D}} \left[J_{\text{preference}} - \beta J_{\text{bottleneck}} \right]
$$

$$
J_{\text{preference}} = \int p_{\phi}(\boldsymbol{s}|\boldsymbol{x}) \log q_{\psi}(y|\boldsymbol{s}) d\boldsymbol{s}
$$

$$
J_{\text{bottleneck}} = \text{KL} \left[p_{\phi}(\boldsymbol{S}|\boldsymbol{x}), r(\boldsymbol{S}) \right],
$$

Thus, the final objective for our information-theoretic reward modeling reads

$$
\max_{\{\phi,\psi\}} J_{\text{VLB}}(\phi, \psi) \approx \max_{\{\phi,\psi\}} \mathbb{E}_{(\mathbf{x}^w, \mathbf{x}^l) \sim \mathcal{D}} \left[L_{\text{preference}} - \beta L_{\text{bottleneck}} \right]
$$

$$
L_{\text{preference}} = \log \sigma \left(g_{\psi}(h_{\phi}(\mathbf{x}^w, \boldsymbol{\epsilon}^w)) - g_{\psi}(h_{\phi}(\mathbf{x}^l, \boldsymbol{\epsilon}^l)) \right)
$$

$$
L_{\text{bottleneck}} = \text{KL} \left[p_{\phi}(\mathbf{S}|\mathbf{x}^w), r(\mathbf{S}) \right] + \text{KL} \left[p_{\phi}(\mathbf{S}|\mathbf{x}^l), r(\mathbf{S}) \right],
$$

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Simulated Experiments

Figure 4: Simulated RLHF results for different proxy RMs (1.4B). Solid and dashed lines represent the gold and proxy scores, respectively. In later RL stages, as KL divergence increases, Standard RM shows a declining gold score and a rising proxy score, indicating overoptimization. Conversely, our InfoRM maintains consistent growth in both scores, effectively mitigating overoptimization.

Real-World Experiments

Table 1: Comparison results of win, tie, and lose ratios of RLHF models using different RMs with the optimal hyper-parameters (learning rate and kl penalty) under GPT-4 evaluation.

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Reward Over-optimization Detection

Dataset: Anth.-Harmless & RM used in RLHF: Standard RM

Dataset: Anth.-Helpful & RM used in RLHF: Standard RM

Overoptimized Sample from RLHF Model (Judged by GPT-4)

Dataset: Anth.-Harmless & RM used in RLHF: InfoRM

Dataset: Anth.-Helpful & RM used in RLHF: InfoRM

Reward Over-optimization Detection

• Step 1: Perform clustering on the RLHF model outputs within the latent space of our InfoRM. Denote the clusters as $C = \{C_1, C_2, ..., C_n\}$, where C_i represents the *i*-th cluster, and *n* is the total number of clusters. For each C_i , compute the geometric centroid c_i by

$$
z_i = \frac{1}{|C_i|} \sum_{\mathbf{x} \in C_i} \mathbf{x},\tag{6}
$$

where $|C_i|$ denotes the count of points in C_i and x represents the points within C_i .

• Step 2: For each cluster centroid c_i from Step 1, identify its nearest SFT model output. Calculate the Euclidean distance d_i between each centroid c_i and its nearest SFT output as:

$$
d_i = \min_{\mathbf{s} \in S} \|\mathbf{c}_i - \mathbf{s}\|,\tag{7}
$$

where S represents all SFT outputs and $\|\cdot\|$ indicates Euclidean distance.

• Step 3: CSI is calculated as the sum of weighted distances by the number of the elements in each cluster:

$$
CSI = \sum_{i=1} |C_i| \cdot d_i.
$$
 (8)

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Reward Over-optimization Detection

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Thanks for Your Listening

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