

#### Learning Frequency-Adapted Vision Foundation Model for Domain Generalized Semantic Segmentation

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# Problem Statement

- Domain-generalized semantic segmentation infers robust pixelwise semantic predictions on arbitrary unseen target domains when a segmentation model is trained on the source domain.
- The key challenge lies in the stability of the scene content, while the domain gap is caused by the style variation.





### Problem Statement

- Analysis of frozen VFM features after Haar wavelet transform:
- -- Low-frequency component exhibits a higher correlation & smaller domain gap
- -- High-frequency components exhibit a lower correlation & larger domain gap



### What's New?

- We propose a Frequency-Adapted learning scheme, dubbed FADA, to fine-tune VFMs for domain-generalized semantic segmentation.
- The proposed FADA, aided by the Haar wavelet guidance to mine the style-invariant property of VFM, is versatile to a variety of VFMs.
- Experimentally, the proposed FADA significantly outperforms the stateof-the-art DGSS methods, and yields an improvement up to 2.9% mIoU over the contemporary REIN.

# Methodology

• What's Haar wavelet?

**Definition 1. Haar Scaling Function.** Given an input signal x, the Haar scaling function is mathematically defined as

$$
\phi(t) = \begin{cases} 1 & 0 \le t < 1 \\ 0 & \text{otherwise} \end{cases} . \tag{1}
$$

Given the space of all functions of the form  $\sum_{k \in \mathbb{Z}} a_k \phi(x - k)$  as  $V_0$ , where  $k \in \mathbb{Z}$  is an arbitrary integer, and  $a_k \in \mathbb{R}$ . As each element of  $V_0$  is zero outside a bounded set, such a function  $a_k \phi(x - k)$ has finite or compact support.

**Definition 2. Basis of the Step Function Space.** Given an arbitrary nonnegative integer  $j \in \mathbb{Z}_0^+$ , Let  $V_i$  denote the step function space at the level j, which is spanned by the set

$$
\{\cdots, \phi(2^{j}x+1), \phi(2^{j}x), \phi(2^{j}x-1), \cdots\}.
$$
 (2)

**Definition 3. Haar Wavelet Function.** The Haar wavelet is the function  $\psi(x) = \phi(2x) - \phi(2x-1)$ .

**Haar Wavelet Transformation** Haar wavelet pooling (Porwik and Lisowska 2004) enables the separation from the low-frequency component to high-component. It has four kernels, namely,  $LL^{T}$ ,  $LH^{T}$ ,  $H\tilde{L}^{T}$ ,  $H\tilde{H}^{T}$ , given by

$$
L^{\mathrm{T}} = \frac{1}{\sqrt{2}} [1 \quad 1], H^{\mathrm{T}} = \frac{1}{\sqrt{2}} [-1 \quad 1]. \tag{2}
$$



Level-1 Haar Wavelet

# Methodology

• Why Haar Wavelet benefits DGSS?

Frequency analysis MATTERS to differentiate the content and details in an image



LL component of VFM feature for content

LH, HL, HH components for style



# Methodology

• Framework Overview: Frequency Adapted fine-tuning scheme (FADA)



#### Baseline adapter:

Wei et. al. Stronger, Fewer, & Superior: Harnessing Vision Foundation Models for Domain Generalized Semantic Segmentation. CVPR 2024

#### • Comparison with State-of-the-art



#### • Ablation Studies

Table 2: Ablation studies on each component of the proposed Table 3: Ablation studies of the rank  $r$ FADA, LL, LH, HL and HH denote the  $f_i^{LL}$ ,  $f_i^{LH}$ ,  $f_i^{HL}$ and  $f_i^{HH}$  components, respectively.  $\checkmark$  refers to that fine- tion metric is mIoU in %. tuning is implemented. Evaluation metric is mIoU in %.

<b>Frequency Components</b>				Trained on CityScapes (C)				Trained on SYNTHIA (S)			
LL	LН	HΙ	HН	$\rightarrow$ B	$\rightarrow$ M	$\rightarrow G$	$\rightarrow$ S	$\rightarrow$ C	$\rightarrow$ B	$\rightarrow$ M	$\rightarrow G$
				62.43	73.05	61.29	47.61	48.03	43.27	47.85	46.02
	x			63.85	74.16	62.04	48.68	48.79	44.81	48.96	47.35
				64.04	74.89	62.95	48.92	49.18	45.07	49.13	48.07
				64.69	75.16	63.20	49.35	49.62	45.37	49.50	48.16
			✓	65.12	75.86	63.78	49.75	50.04	45.83	49.86	48.26

on generalization performance. Evalua-



Table 4: Generalization ability test of the proposed FADA on different VFM models. One decimal result is reported and compared following prior references.

<b>Backbone</b>	Fine-tune	Trainable	mIoU			
	Method	Params*	Citys	<b>BDD</b>	Map	Avg.
	Full	304.15M	51.3	47.6	54.3	51.1
CLIP $[62]$	Freeze	0.00M	53.7	48.7	55.0	52.4
	<b>REIN</b> [69]	2.99M	57.1	54.7	60.5	57.4
	FADA	11.65M	58.7	55.8	62.1	58.9
	Full	632.18M	57.6	51.7	61.5	56.9
<b>SAM</b> [39]	Freeze	0.00M	57.0	47.1	58.4	54.2
	<b>REIN</b> [69]	4.51M	59.6	52.0	62.1	57.9
	<b>FADA</b>	16.59M	61.0	53.2	63.4	60.0
	Full	304.24M	62.1	56.2	64.6	60.9
<b>EVA02</b> 20	Freeze	0.00M	56.5	53.6	58.6	56.2
	<b>REIN</b> [69]	2.99M	65.3	60.5	64.9	63.6
	FADA	11.65M	66.7	61.9	66.1	64.9
	Full	304.20M	63.7	57.4	64.2	61.7
<b>DINOV2</b> [53]	Freeze	0.00M	63.3	56.1	63.9	61.1
	<b>REIN</b> [69]	2.99M	66.4	60.4	66.1	64.3
	<b>FADA</b>	11.65M	68.2	62.0	68.1	66.1

Table 5: Generalization performance comparison on the four adverse condition domains from ACDC dataset  $[65]$ . CityScapes as the source domain. Top three results are highlighted as





• Cross-domain Visualization



Figure 3: Channel-wise correlation matrix of the last layer VFM feature between source domain (C) and unseen domain (B). The brighter a cell is, the higher response.



Figure 4: t-SNE visualization. Feature embedding is extracted from the last VFM layer. Left: baseline; Right: ours.

• Understanding the benefit of instance normalization





• Visual prediction





• Visual prediction



#### Thanks for your attention!