

NEURAL INFORMATION PROCESSING SYSTEMS

#### Fairness Continual Learning Approach to Semantic Scene Understanding in Open-World Environments

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https://uark-cviu.github.io/



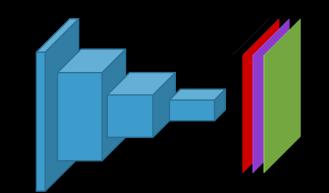


)ata Analytics that are Robust and Trusted

Input



Step 1



Prediction



**Ground Truth** 

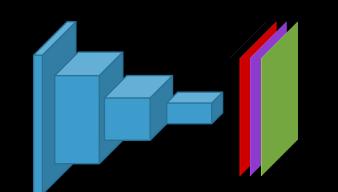


Input









Prediction

#### **Ground Truth**









Step 2

Input

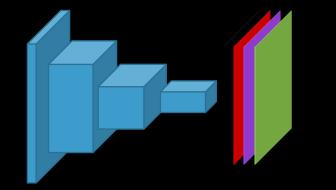
Step 1

Step 3









Prediction

#### **Ground Truth**



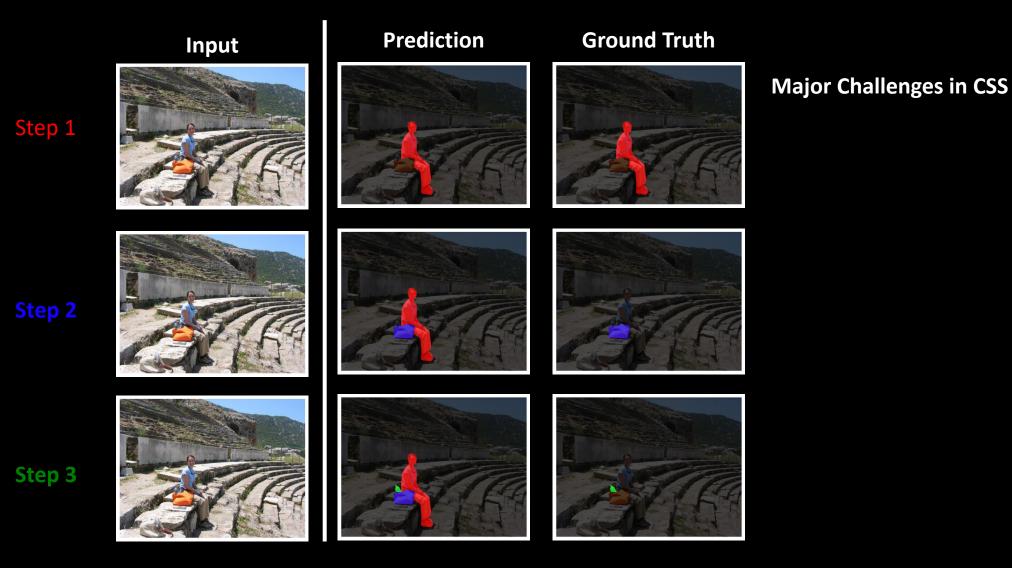


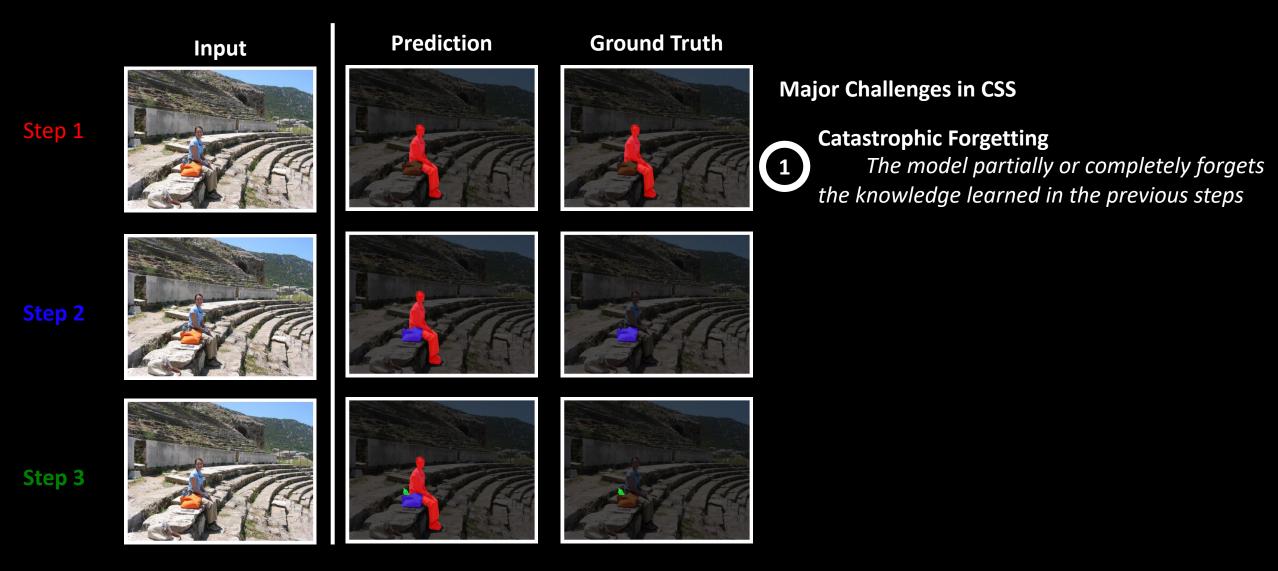


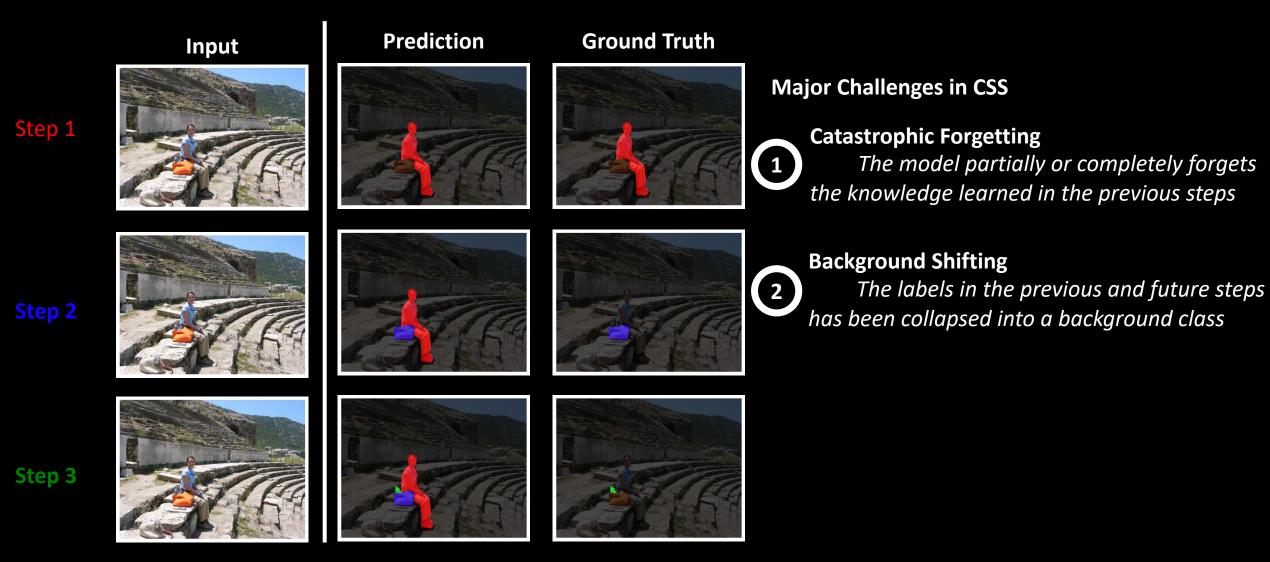


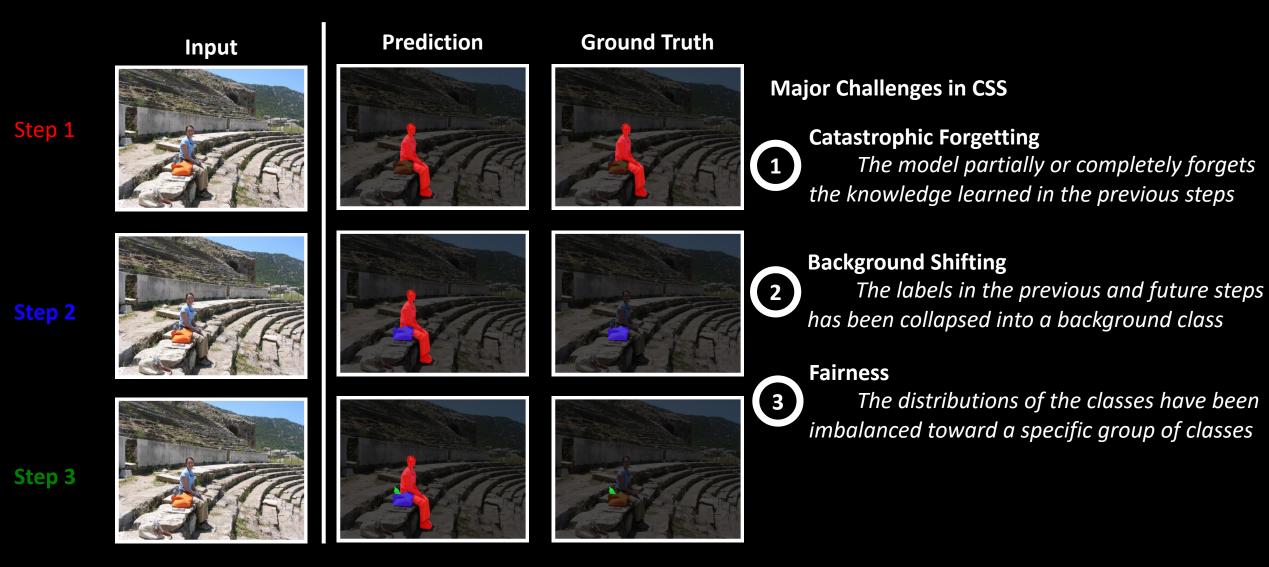




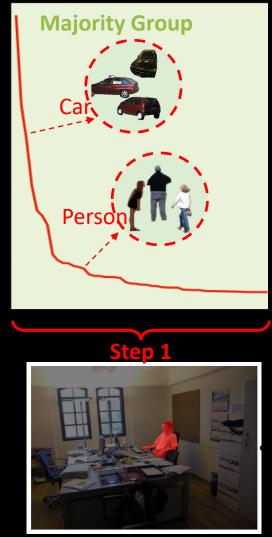




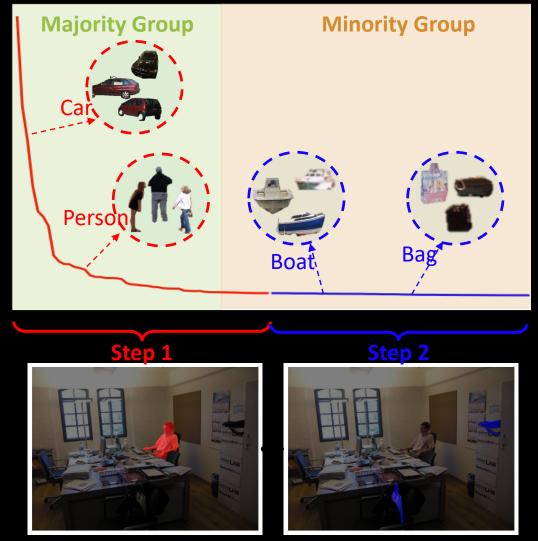




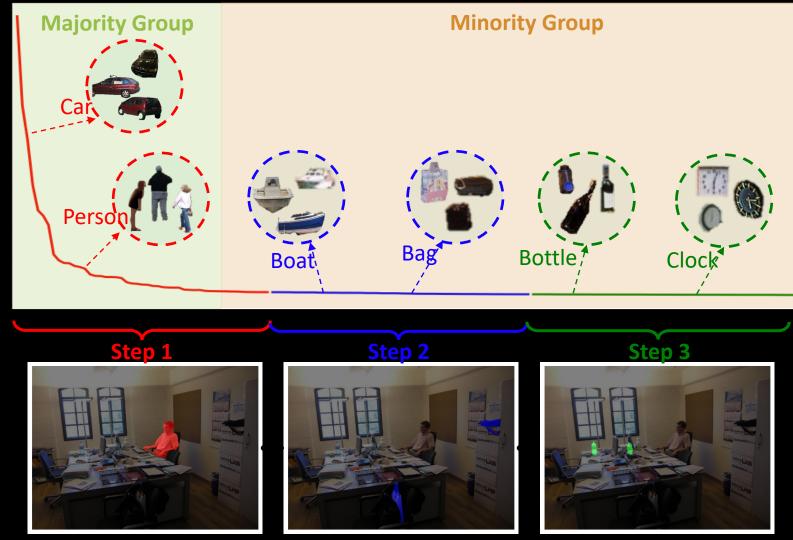
The Class Distribution based on the Number of Pixels



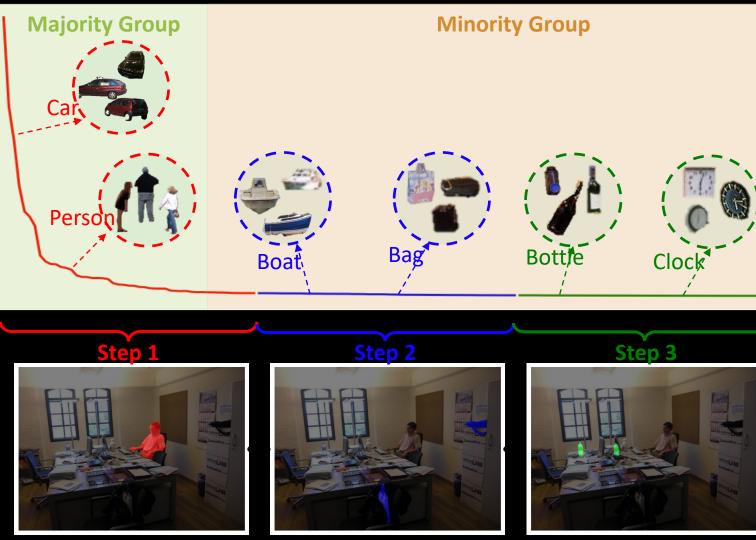
#### The Class Distribution based on the Number of Pixels



#### The Class Distribution based on the Number of Pixels



#### The Class Distribution based on the Number of Pixels



The distribution of classes in the majority group in the task dominates the ones in the minority groups in the later tasks



The model behaves unfairly among classes

# Contributions

Introduce a novel fairness metric for continual semantic segmentation

Propose new Fairness Continual Learning approach to Semantic Segmentation

- Promote fairness by a new fairness loss based on the class distribution
- Impose consistency of segmentation maps by a Conditional Structural Consistency Loss
- Model the catastrophic forgetting and background shift problems via the new Prototypical Contrastive Clustering loss
- Proved as a new, generalized continual learning paradigm of knowledge distillation

Achieve State-of-the-Art Performance on Continual Semantic Segmentation benchmarks and Promote Fairness of the model predictions

#### Fairness Objective

$$\theta^* = \operatorname*{argmin}_{\theta} \mathbb{E}_{x,y} \mathcal{L}(y, \widehat{y})$$

Subject to:

$$\max_{c_a,c_b} \left| \mathbb{E}_{x,y} \sum_{i,j} \mathcal{L}(y_{i,j} = c_a) - \mathbb{E}_{x,y} \sum_{i,j} \mathcal{L}(y_{i,j} = c_b) \right| \leq \epsilon$$

Impose the Fair Behavior of the Model by Maintaining the Small Difference of Error Rates Between Classes

#### Fairness Objective

$$\max_{c_a,c_b} \left| \mathbb{E}_{\boldsymbol{x},\boldsymbol{y}} \sum_{i,j} \mathcal{L}(\boldsymbol{y}_{i,j} = c_a) - \mathbb{E}_{\boldsymbol{x},\boldsymbol{y}} \sum_{i,j} \mathcal{L}(\boldsymbol{y}_{i,j} = c_b) \right| \leq 2C \mathbb{E}_{\boldsymbol{x},\boldsymbol{y}} \mathcal{L}(\boldsymbol{y}, \widehat{\boldsymbol{y}})$$

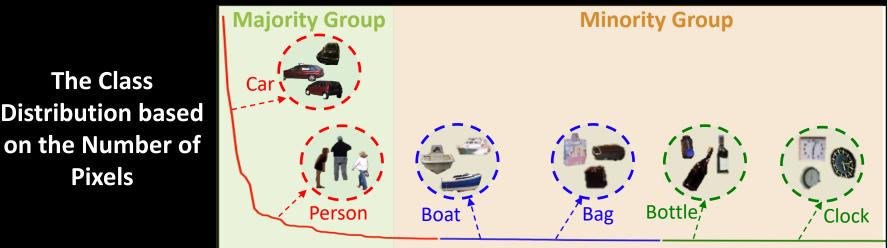
The Fairness Objective Is Also Imposed by the Loss

#### Fairness Objective

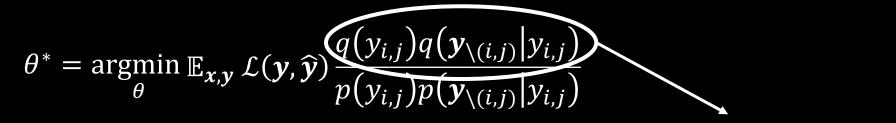
$$\begin{aligned} \theta^* &= \operatorname*{argmin}_{\theta} \mathbb{E}_{\boldsymbol{x},\boldsymbol{y}} \mathcal{L}(\boldsymbol{y}, \widehat{\boldsymbol{y}}) \\ &= \operatorname*{argmin}_{\theta} \int \mathcal{L}(\boldsymbol{y}, \widehat{\boldsymbol{y}}) p(\boldsymbol{y}), p(\widehat{\boldsymbol{y}}) \boldsymbol{dy} d\widehat{\boldsymbol{y}} \\ &= \operatorname*{argmin}_{\theta} \int \mathcal{L}(y_{i,j}, \widehat{y}_{i,j}) p(\boldsymbol{y}_{i,j}) p(\boldsymbol{y}_{i,j}) p(\widehat{\boldsymbol{y}}) \boldsymbol{dy} d\widehat{\boldsymbol{y}} \end{aligned}$$

Suffer Imbalance Distributions

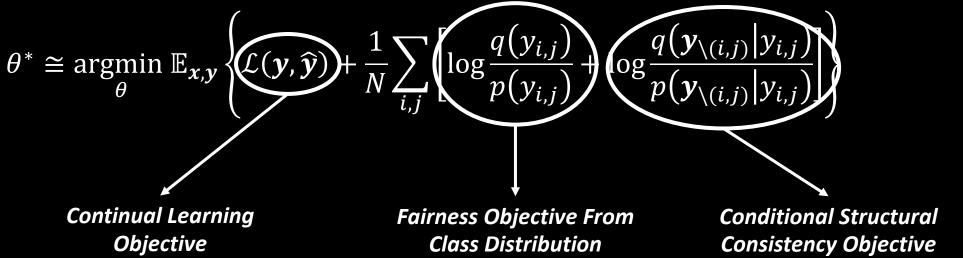
The Gradients Produced in the Majority Group Largely Dominant the Ones in the Minority Group

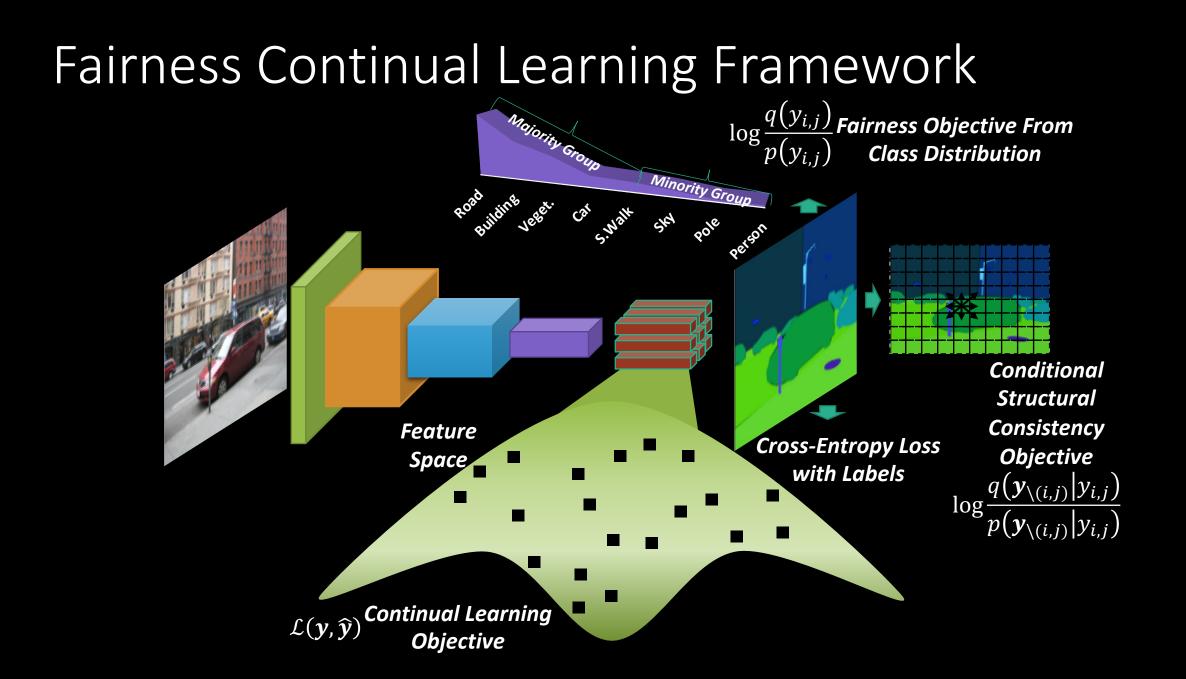


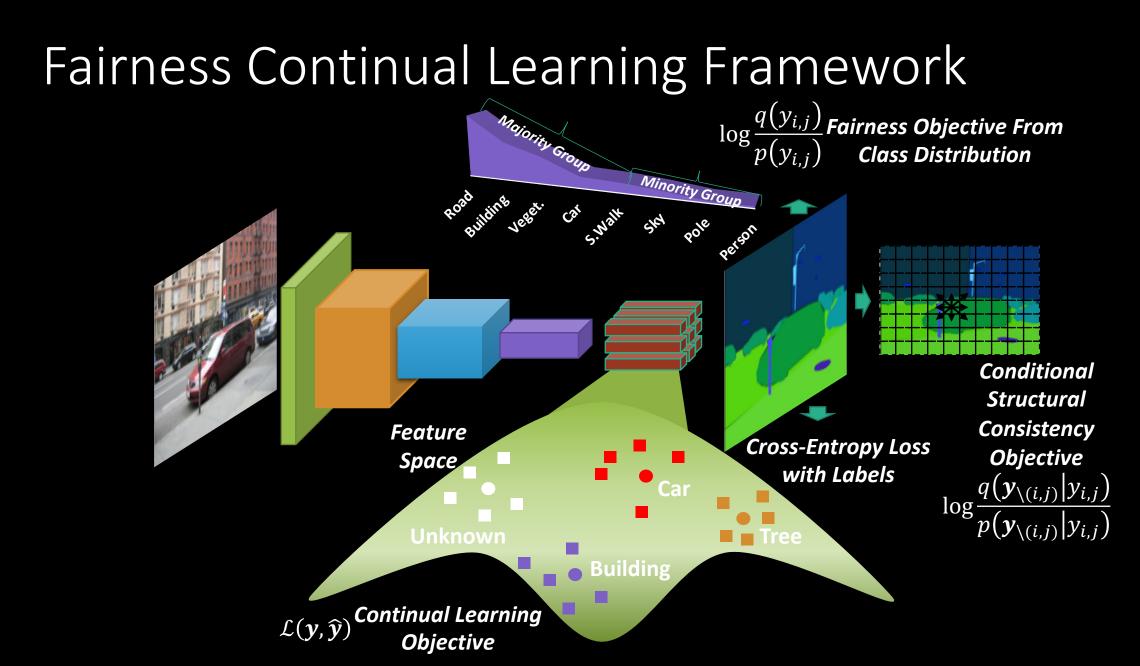
#### Fairness Continual Learning Approach



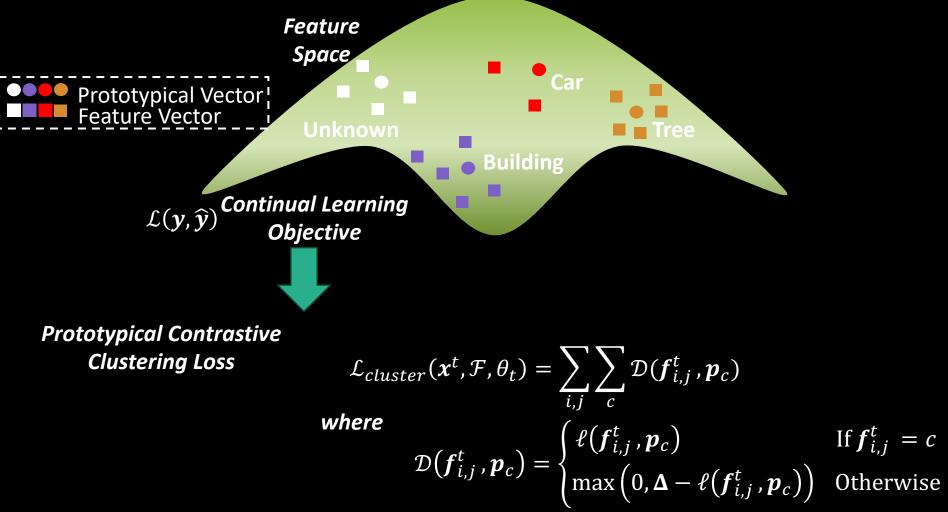
Ideal Distributions Where the Learned Model Behave Fairly







## Fairness Continual Learning Framework



## Thank You For Watching