

Can Adversarial Training Be Manipulated By Non-Robust Features?

Lue Tao¹, Lei Feng^{2,3}, Hongxin Wei⁴
Jinfeng Yi⁵, Sheng-Jun Huang⁶, Songcan Chen⁶

¹Nanjing University, China

²Chongqing University, Chongqing, China

³RIKEN Center for Advanced Intelligence Project, Japan

⁴Nanyang Technological University, Singapore

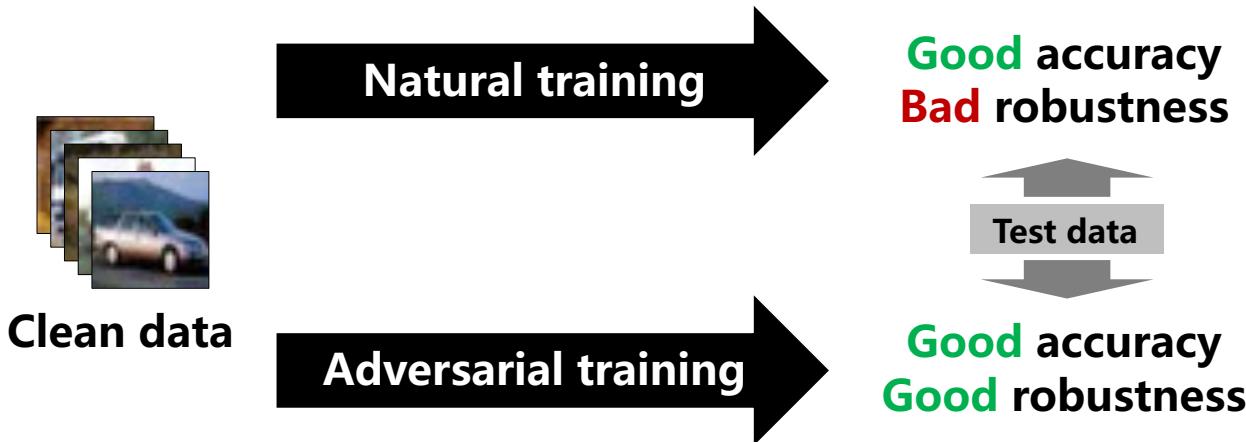
⁵JD AI Research, China

⁶Nanjing University of Aeronautics and Astronautics, China

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Adversarial Training

- Adversarial training
 - Improving test robustness by minimizing the adversarial risk



Our Contribution

- We introduce a novel threat model called **stability attack**
 - aims to degrade the test robustness of adversarially trained models
 - in short, aims to hinder robust availability



Our Contribution

- We introduce a novel threat model called **stability attack**,
 - which aims to degrade test robustness of adversarially trained models
 - in short, hinder robust availability
- Both theoretical and empirical evidences show that **adversarial training may fail to provide test robustness**

Theoretical Analysis

Theorem 1 (Adversarial perturbation is harmless). *Assume that the adversarial perturbation in the training data \mathcal{T}_{adv} (10) is moderate such that $\eta/2 \leq \epsilon < 1/2$. Then, the optimal linear ℓ_∞ -robust classifier obtained by minimizing the adversarial risk on \mathcal{T}_{adv} with a defense budget ϵ is equivalent to the robust classifier (9).*

Theorem 2 (Hypocritical perturbation is harmful). *The optimal linear ℓ_∞ -robust classifier obtained by minimizing the adversarial risk on the perturbed data \mathcal{T}_{hyp} (11) with a defense budget ϵ is equivalent to the natural classifier (8).*

Theorem 3 ($\epsilon + \eta$ is necessary). *The optimal linear ℓ_∞ -robust classifier obtained by minimizing the adversarial risk on the perturbed data \mathcal{T}_{hyp} (11) with a defense budget $\epsilon + \eta$ is equivalent to the robust classifier (9). Moreover, any defense budget lower than $\epsilon + \eta$ will yield classifiers that still rely on all the non-robust features.*

Theorem 4 (General case). *For any data distribution and any adversary with an attack budget ϵ , training models to minimize the adversarial risk with a defense budget 2ϵ on the perturbed data is sufficient to ensure ϵ -robustness.*

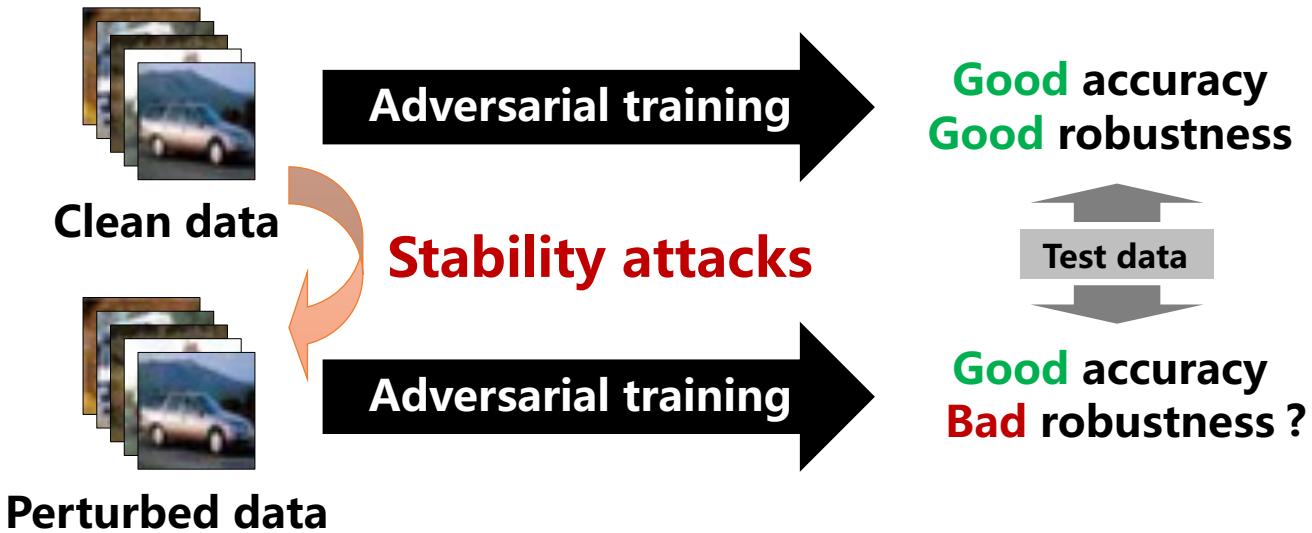
Empirical Evidence

- Stability attacks are harmful to conventional adversarial training
- Enlarging the defense budget is essential for hypocritical perturbations

Table 2: Test robustness (%) of PGD-AT using a defense budget $\epsilon_d = 8/255$ on CIFAR-10.

Attack	Natural	FGSM	PGD-20	PGD-100	CW_{∞}	AutoAttack
None (clean)	82.17	56.63	50.63	50.35	49.37	46.99
DeepConfuse [16]	81.25	54.14	48.25	48.02	47.34	44.79
Unlearnable Examples [28]	83.67	57.51	50.74	50.31	49.81	47.25
NTGA [81]	82.99	55.71	49.17	48.82	47.96	45.36
Adversarial Poisoning [18]	77.35	53.93	49.95	49.76	48.35	46.13
Hypocritical Perturbation (ours)	88.07	47.93	37.61	36.96	38.58	35.44

Summary



Thanks !