

Machine Learning Estimation of Heterogeneous Treatment Effects with Instruments

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²TripAdvisor

TripAdvisor Membership Problem

- ◇ What is the causal effect of becoming a member on TripAdvisor on downstream activity on the webpage?
- ◇ How does that effect vary with observable characteristics of the user?
- ◇ Useful for understanding the quality of membership offering/improvements/targeting

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Standard approach: Let's run an A/B test!

Not applicable: We cannot enforce the treatment!

- ◇ We cannot take a random half of the users and make them members
- ◇ Membership is an action that requires user engagement!

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- ◇ *Example at TripAdvisor*: enable an easier sign-up flow process for a random half of users

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- ◇ *Example at TripAdvisor*: enable an easier sign-up flow process for a random half of users
- ◇ **Non-Compliance**: “user’s choice to comply or not” can lead to biased estimates

Instrumental Variables (IV)

- ◇ **Instrumental Variable:** any random variable Z that affects the treatment assignment T but does not affect the outcome Y other than through the treatment
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- ◇ **Typical IV methods do not account for complex effect or compliance heterogeneity**

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- ◇ Can we learn complex/non-linear models for the heterogeneous effect $\theta(X)$?
- ◇ Can we reduce estimation to standard ML problems like regression/classification?

Reducing to Regression/Classification

- ◇ Consider the **compliance score** (Abadie'03)

$$\Delta(X) = (2Z - 1) \frac{\mathbb{P}(T = 1|Z = 1, X) - \mathbb{P}(T = 1|Z = 0, X)}{2}$$

- ◇ Let $\tilde{Y} = Y - \mathbb{E}[Y|X]$ and $\tilde{T} = T - \mathbb{E}[T|X]$

- ◇ Estimate **preliminary $\hat{\theta}(X)$**

$$\hat{\theta} = \operatorname{argmin}_{\theta(\cdot)} \mathbb{E} \left[\left(\tilde{Y} - \theta(X) \cdot \Delta(X) \right)^2 \right]$$

- ◇ Estimate **robust final $\theta(X)$**

$$\min_{\theta(\cdot)} \mathbb{E} \left[\left(\hat{\theta}(X) + \frac{\tilde{Y} - \hat{\theta}(X) \cdot \tilde{T}}{\Delta(X)} - \theta(X) \right)^2 \right]$$

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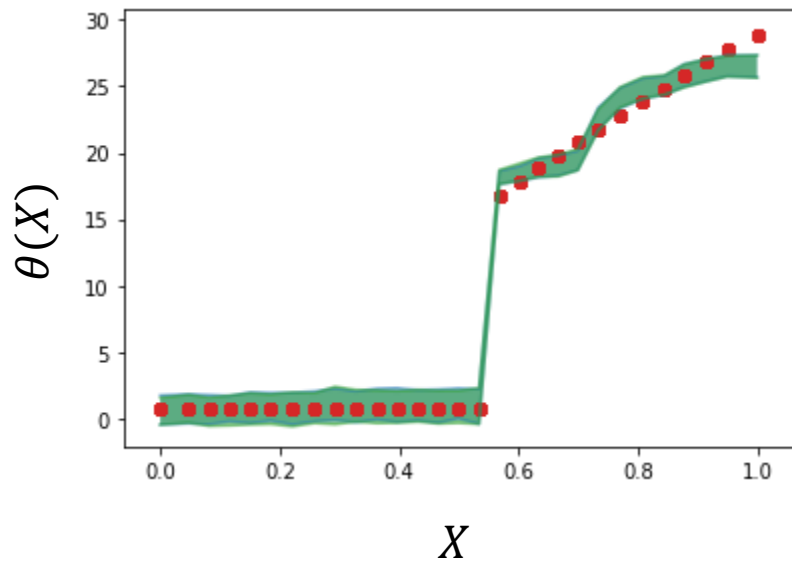
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Benefits of Reduction Approach

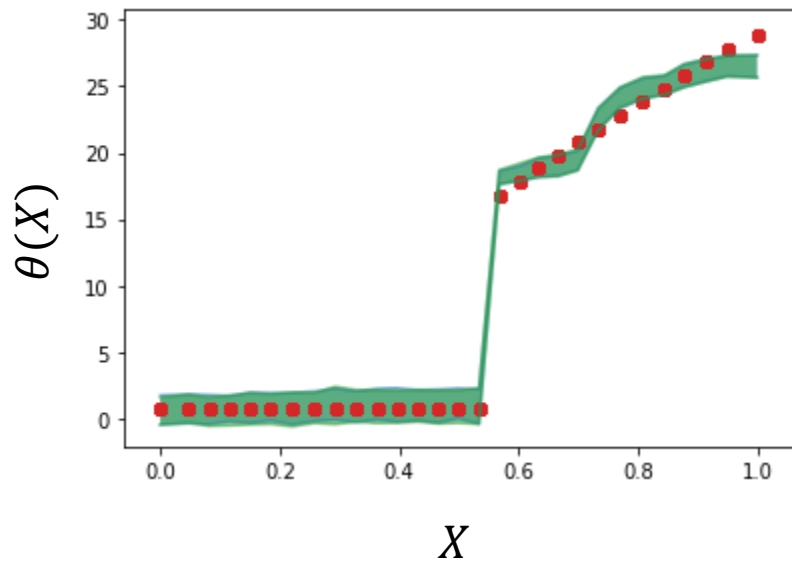
- ◇ **Statistical and computational benefits** of modern ML approaches (forests, regularized linear models, SVM, DNNs etc.)
- ◇ **Cross-validation** for model selection and hyperparameter tuning
- ◇ **Interpretability** of estimated models (SHAP, Lime, Influence functions)

MSE Robustness



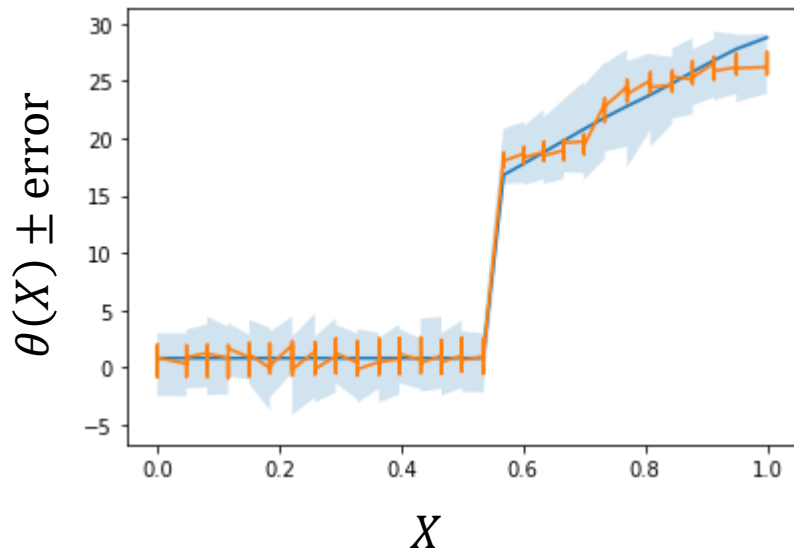
- ◇ Loss function for final estimate satisfies **Neyman orthogonality** [Chernozhukov et al.'16, Foster – Syrgkanis'19]
- ◇ Mean-Squared-Error of final $\theta(X)$ **robust to errors in auxiliary Classifications/Regressions**

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- ◇ Approach extends **beyond recommendation A/B tests, to linear-in-treatment IV setting**
- ◇ Resolves open question in literature [Nie-Wager'17]

Confidence Intervals (CIs)



- ◇ When final regression supports CI construction, Neyman orthogonality typically **preserves the validity of the intervals**
 - ◇ Inference on best linear projection of heterogeneous effect via OLS
 - ◇ Inference on high-dimensional linear projections via Debiased Lasso
 - ◇ Non-Parametric inference via Honest Regression Forests

TripAdvisor Experiment

For random half of 4 million users, easier sign-up flow was enabled

- ◇ Easier sign-up incentivizes membership
- ◇ Outcome: number of visits in the next 14 days

High Level Take-Aways

- ◇ Large heterogeneity based on which pages were recently visited
- ◇ Large heterogeneity based on platform of access (e.g. iPhone, Linux etc.)
- ◇ Results enable **better targeting** of right user population and **improvements of membership offering for user segments** with small/almost zero effects

Try it Out and Check out Poster #185!

- ◇ Code: https://github.com/microsoft/EconML/tree/master/prototypes/dml_iv

```
dr_cate = IntentToTreatDRIV(model_y_x=RandomForestRegressor(),
                             model_t_xz=RandomForestClassifier(),
                             prel_model_effect=RandomForestRegressor(),
                             final_model_effect=LinearRegression())

dr_cate.fit(y, T, X, Z)
dr_cate.effect(X)
```

EconML python library for ML Estimation of Heterogeneous Treatment Effects

- ◇ <https://github.com/microsoft/EconML>

- ◇ `pip install econml`

ALICE (Automated Learning and Intelligence for Causation and Economics) project:

- ◇ <https://www.microsoft.com/en-us/research/project/alice/>